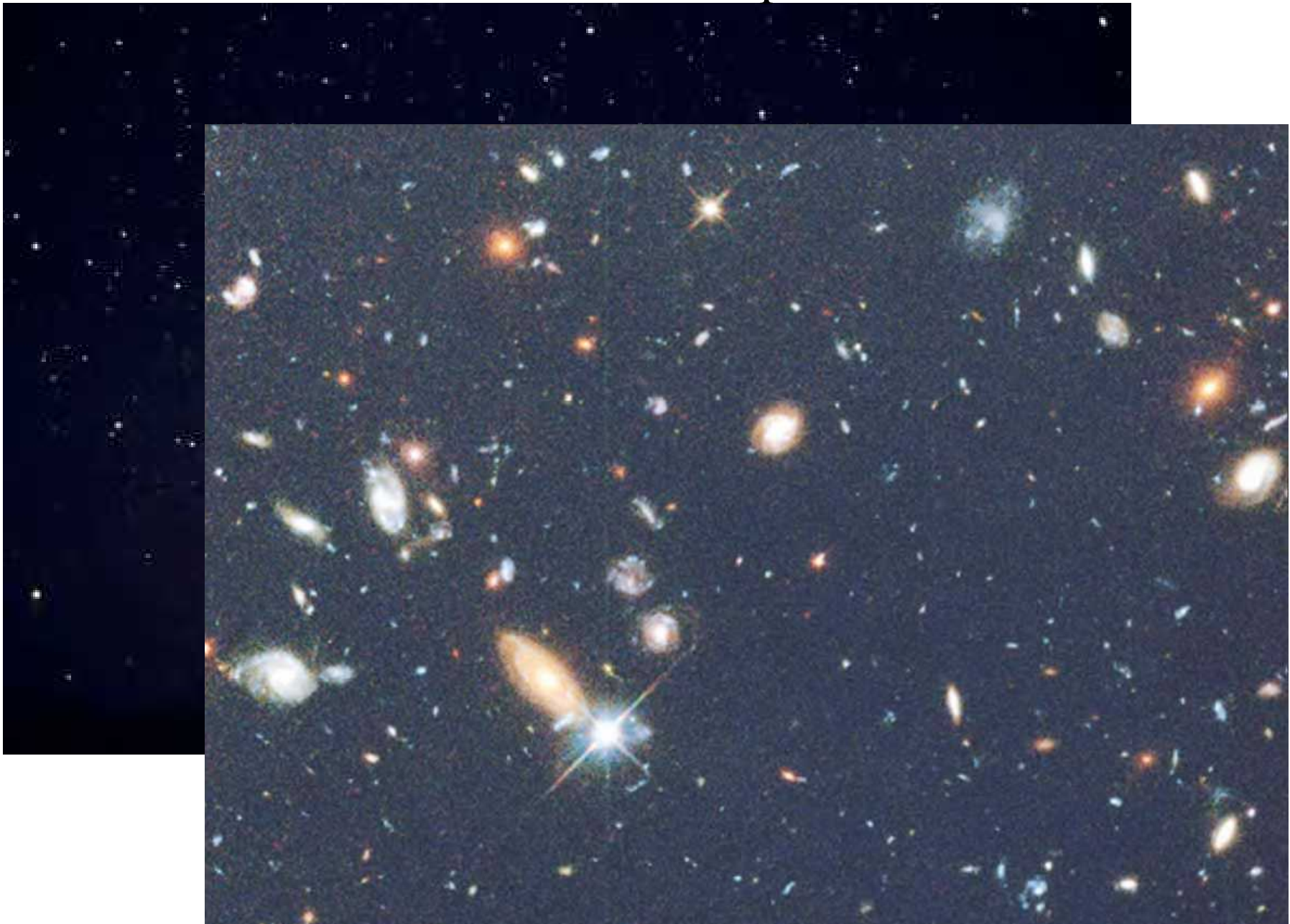


Hubble Deep Field



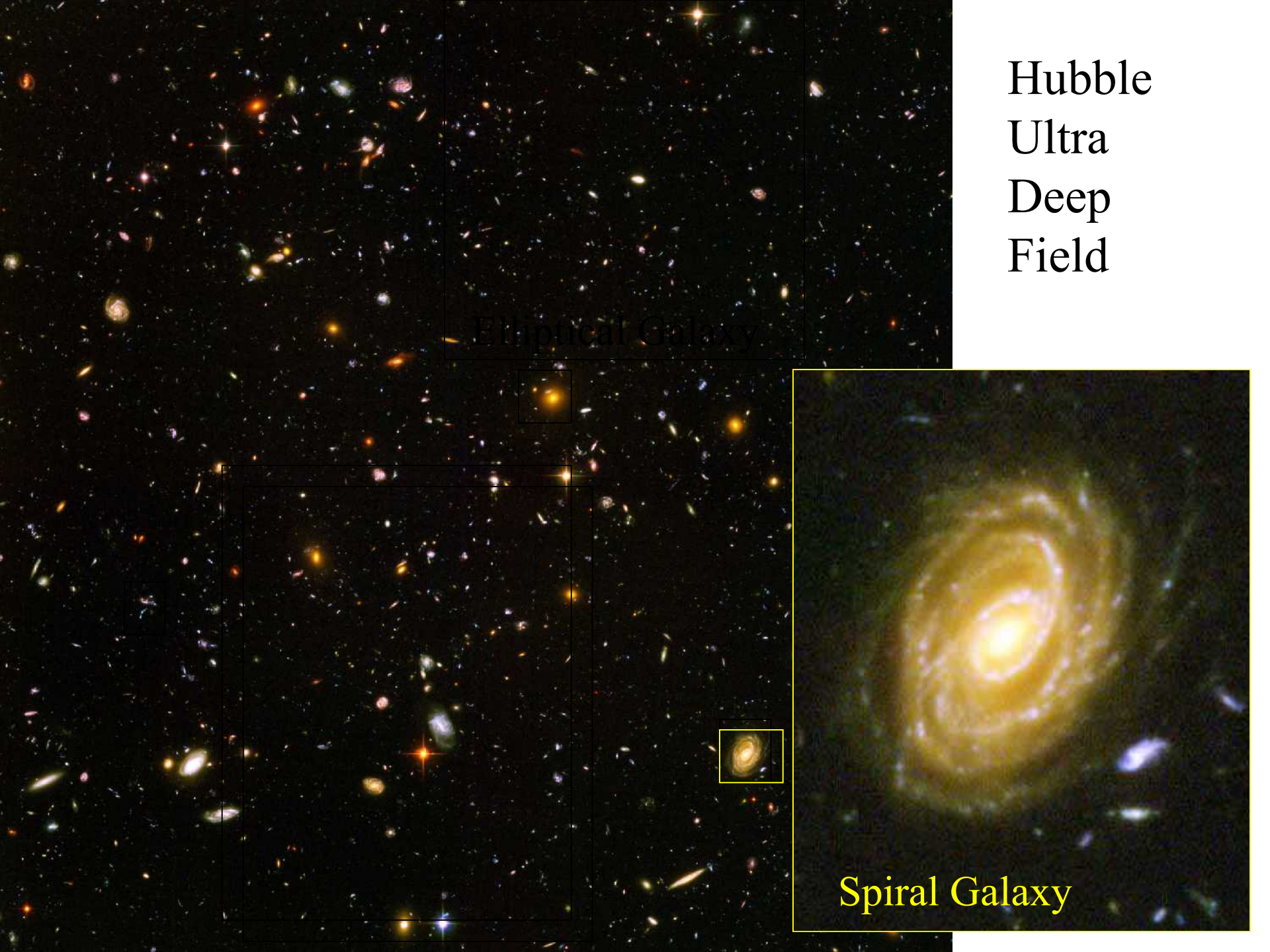


Hubble
Ultra
Deep
Field

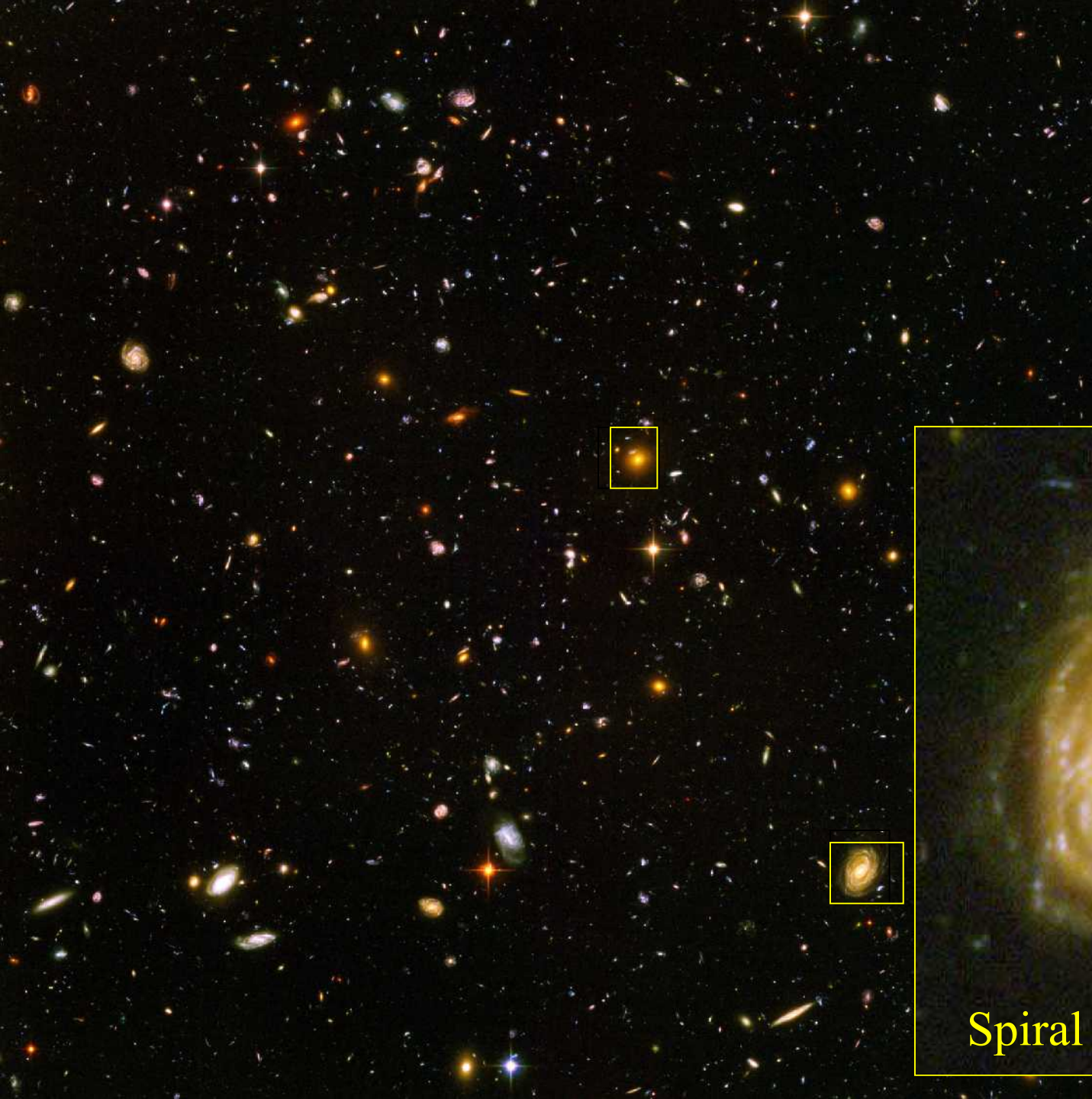
Hubble
Ultra
Deep
Field

Elliptical Galaxy

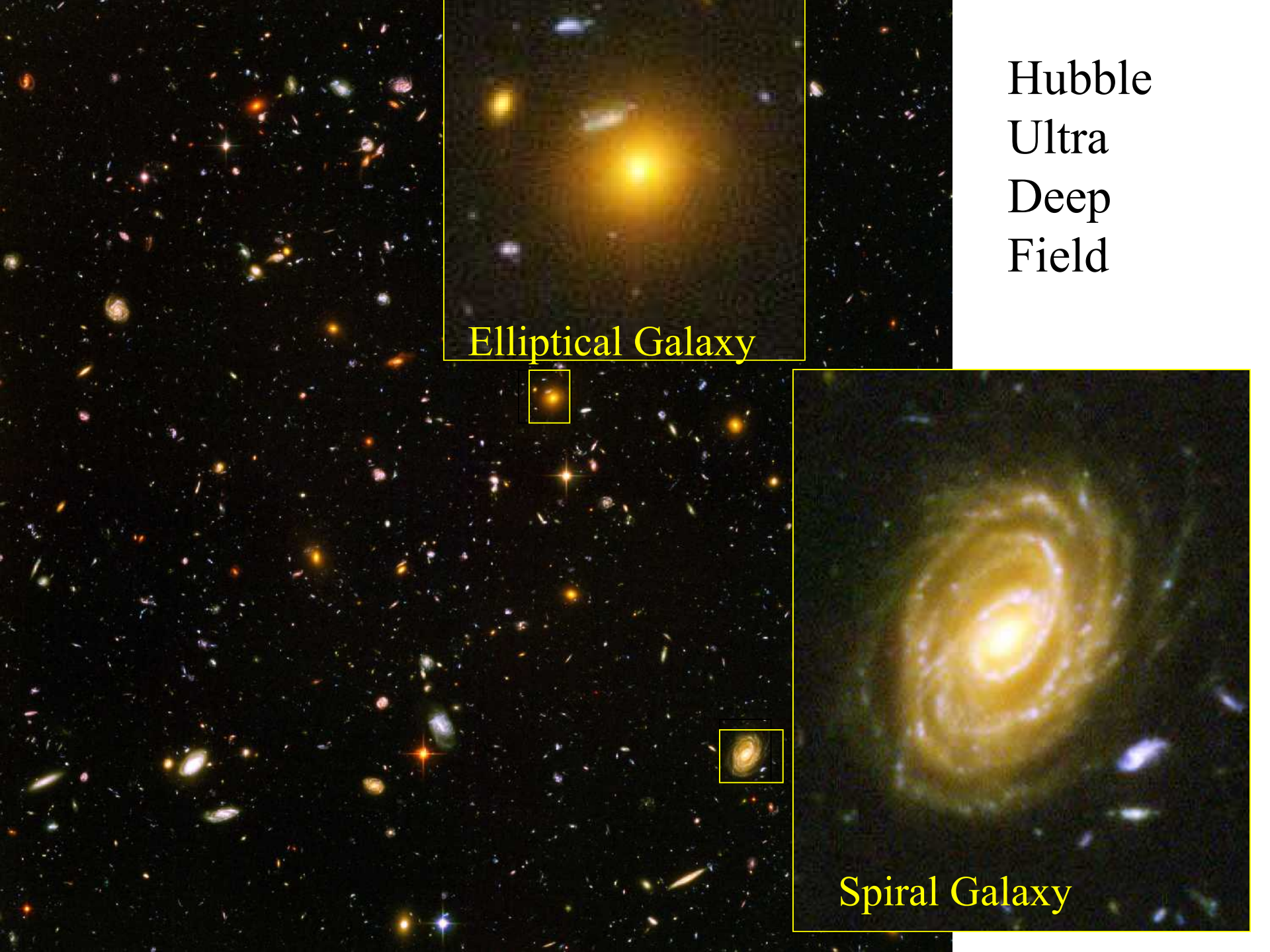
Spiral Galaxy



Hubble
Ultra
Deep
Field



Spiral Galaxy



Hubble
Ultra
Deep
Field



Elliptical Galaxy

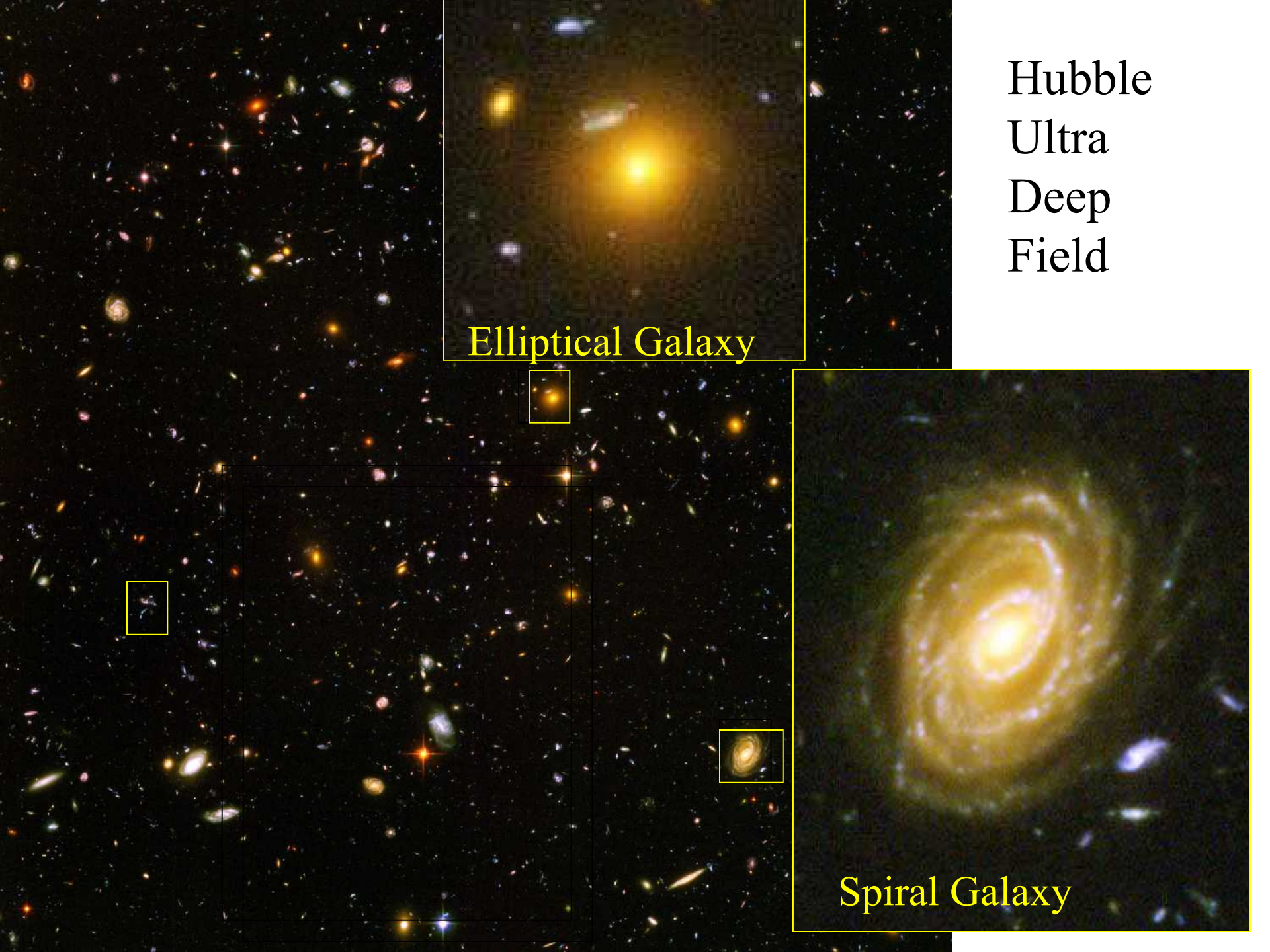


Spiral Galaxy

Hubble
Ultra
Deep
Field

Elliptical Galaxy

Spiral Galaxy



Hubble
Ultra
Deep
Field



Elliptical Galaxy

A large, bright yellow elliptical galaxy with a diffuse, glowing core, surrounded by a sparse field of smaller, distant galaxies.



Irregular Galaxies

A cluster of several irregular, blue-tinted galaxies with fragmented, irregular shapes, set against a dark background with other distant galaxies.

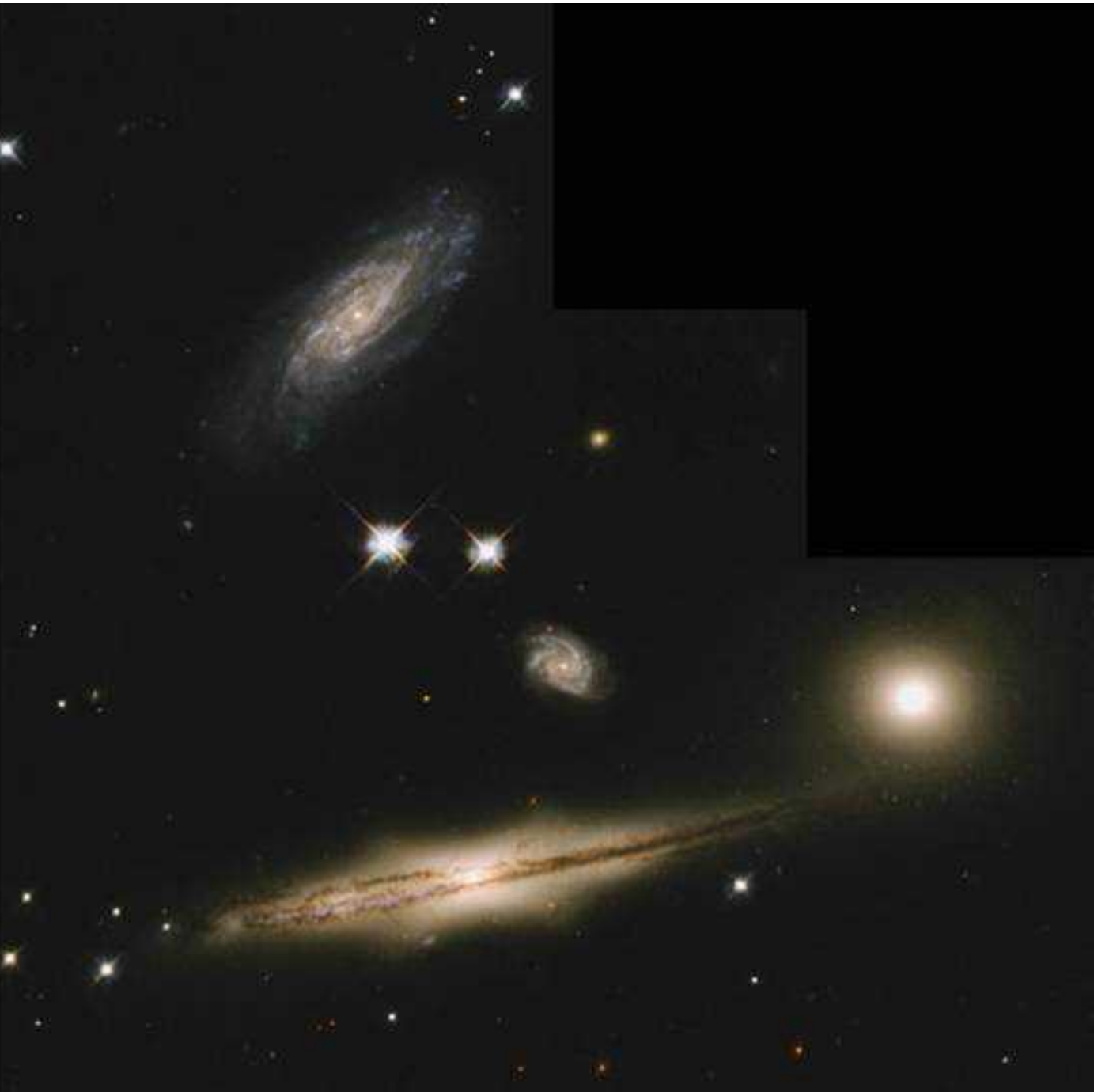


Spiral Galaxy

A large, bright yellow spiral galaxy with a prominent central core and several distinct, winding spiral arms, surrounded by a field of smaller galaxies.

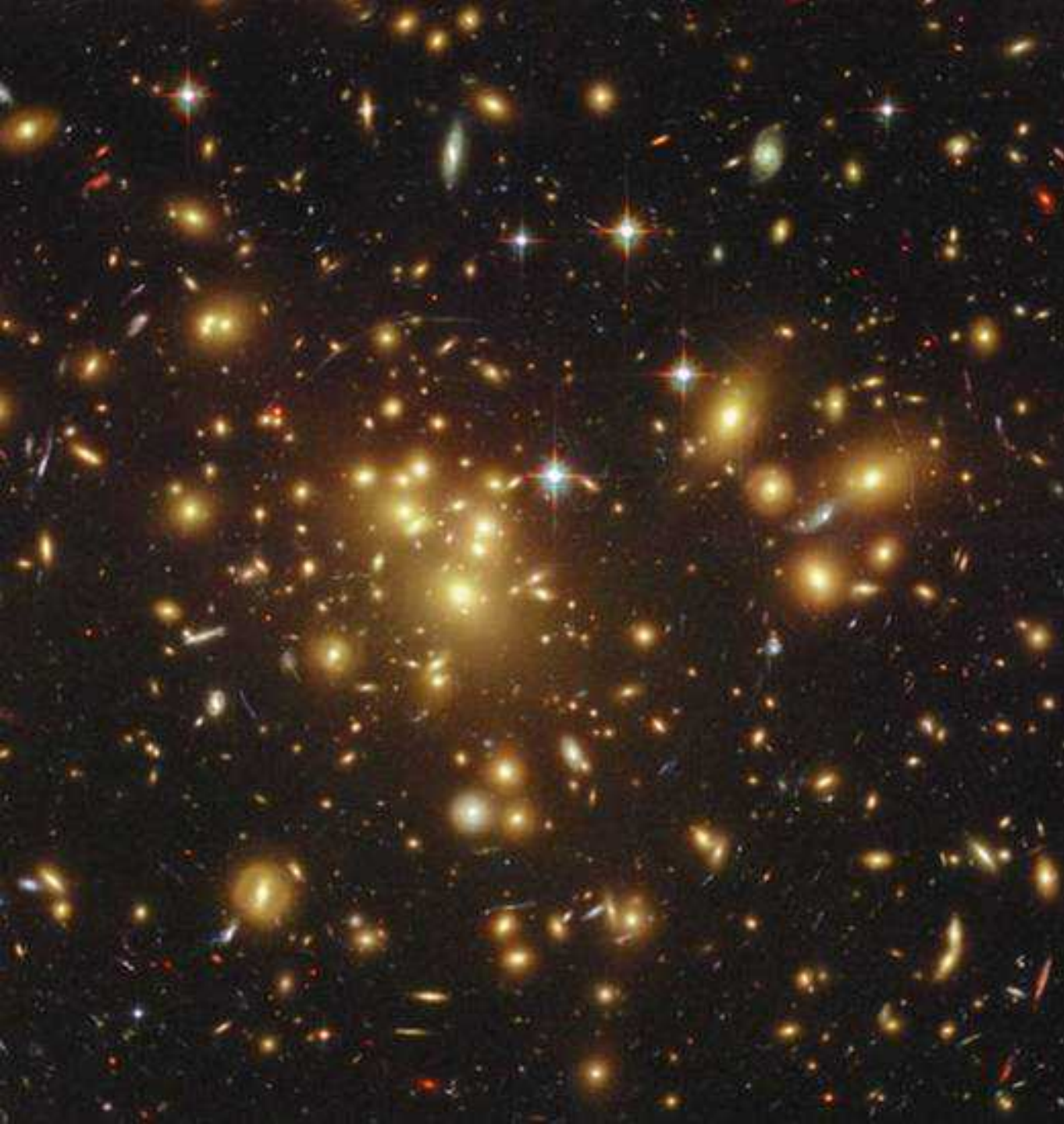
Cosmology questions

How are galaxies grouped together?



Spiral galaxies are often found in *groups* of galaxies

(up to a few dozen galaxies)

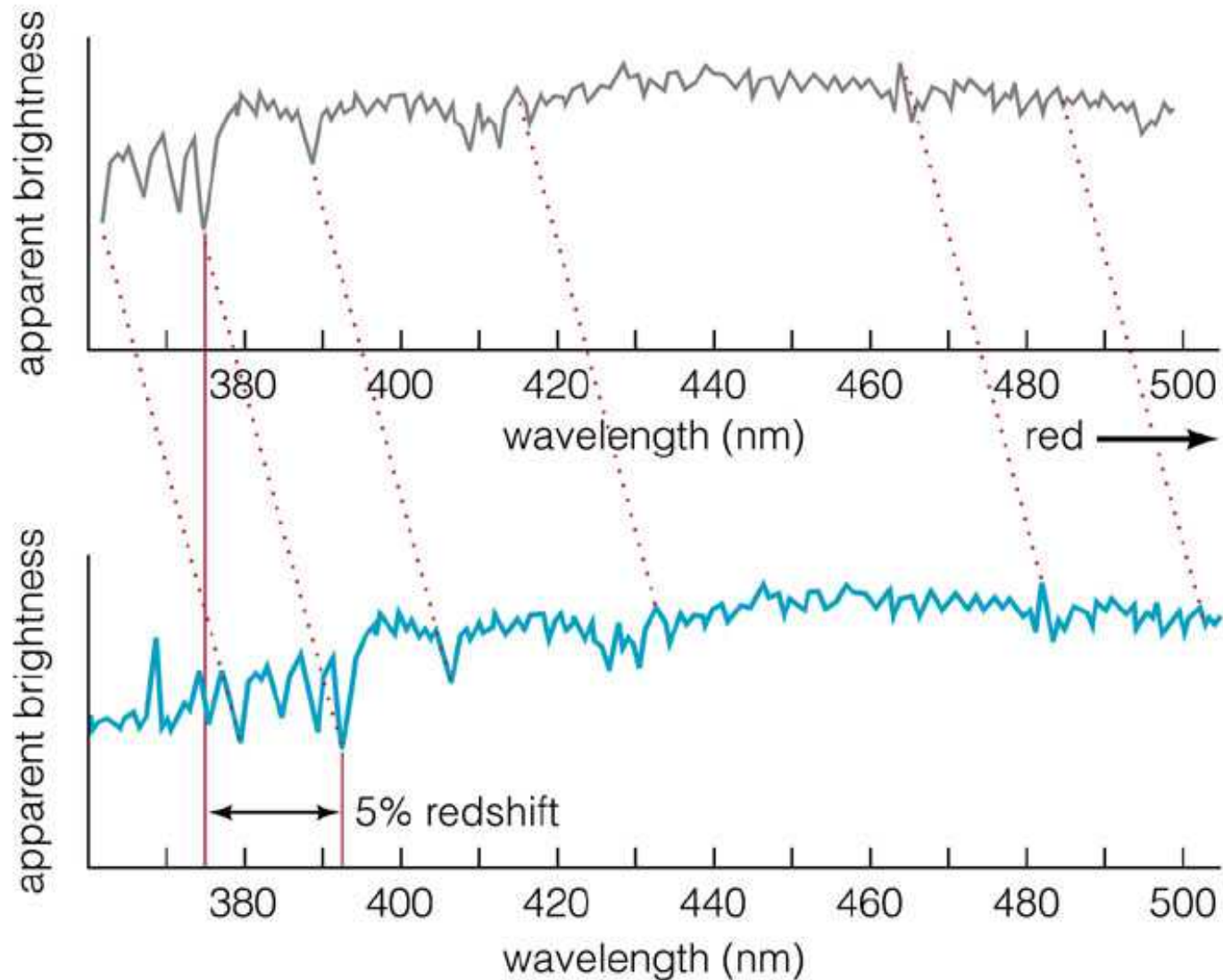


Elliptical
galaxies are
much more
common in
huge *clusters*
of galaxies

(hundreds to
thousands of
galaxies)

Cosmology questions

*Are galaxies doing anything
peculiar?*

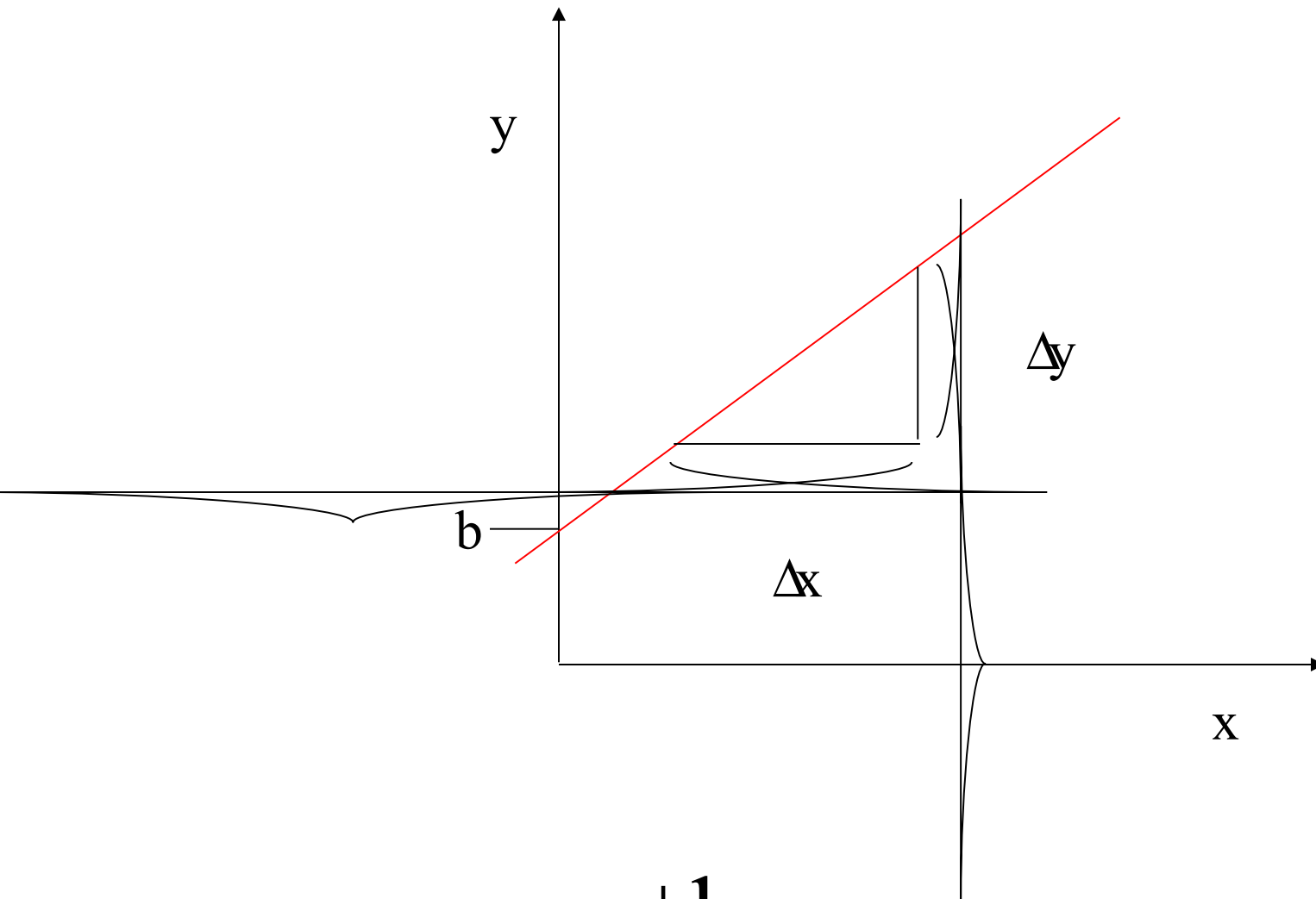


The spectral features of virtually all galaxies are *redshifted* They're all moving away from us



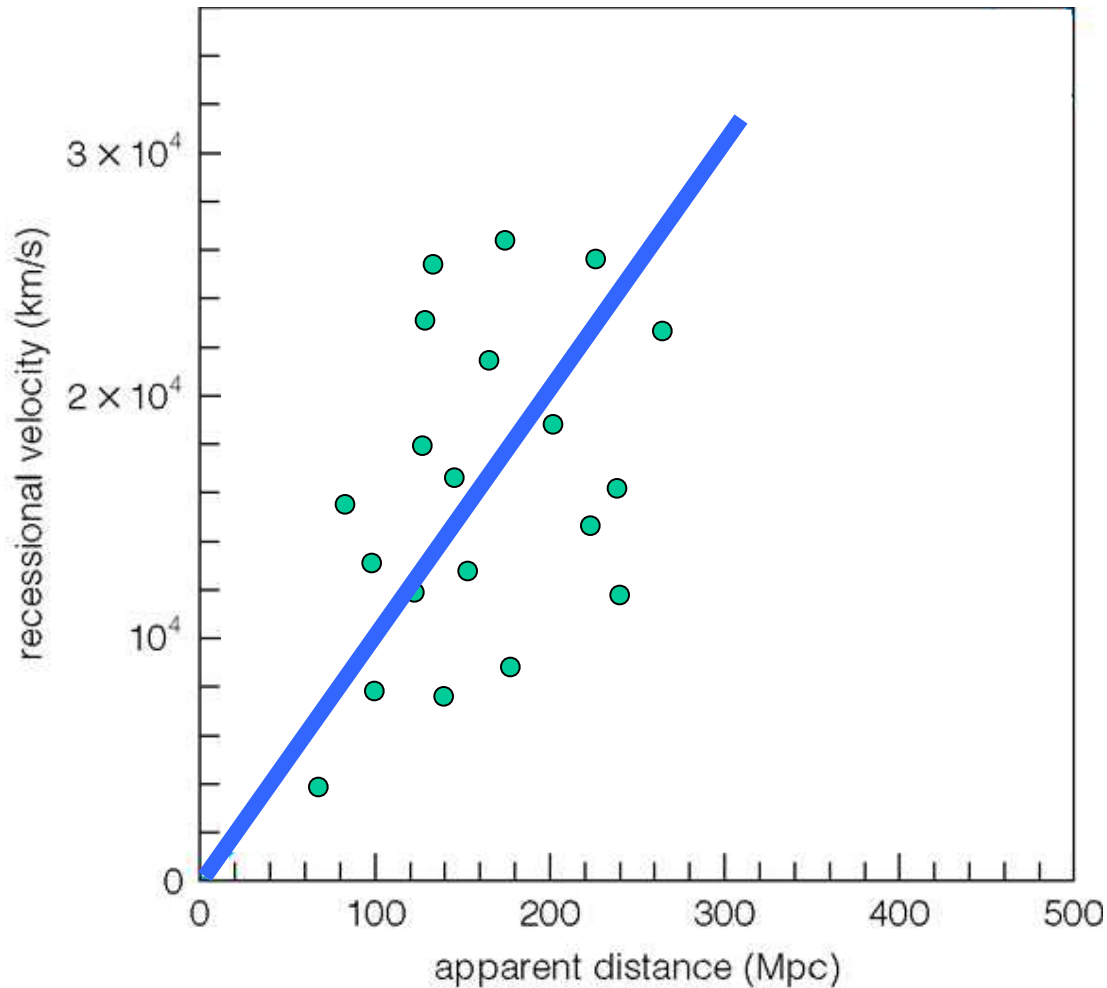
Edwin Hubble, using Cepheids as standard candles, was one of the first to measure distances to other galaxies

By measuring distances to galaxies, Hubble found that redshift and distance are related in a special way



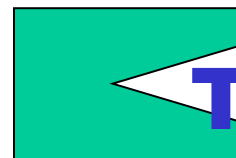
$$y = mx + b$$

$$\text{where } m = \frac{\Delta y}{\Delta x}$$



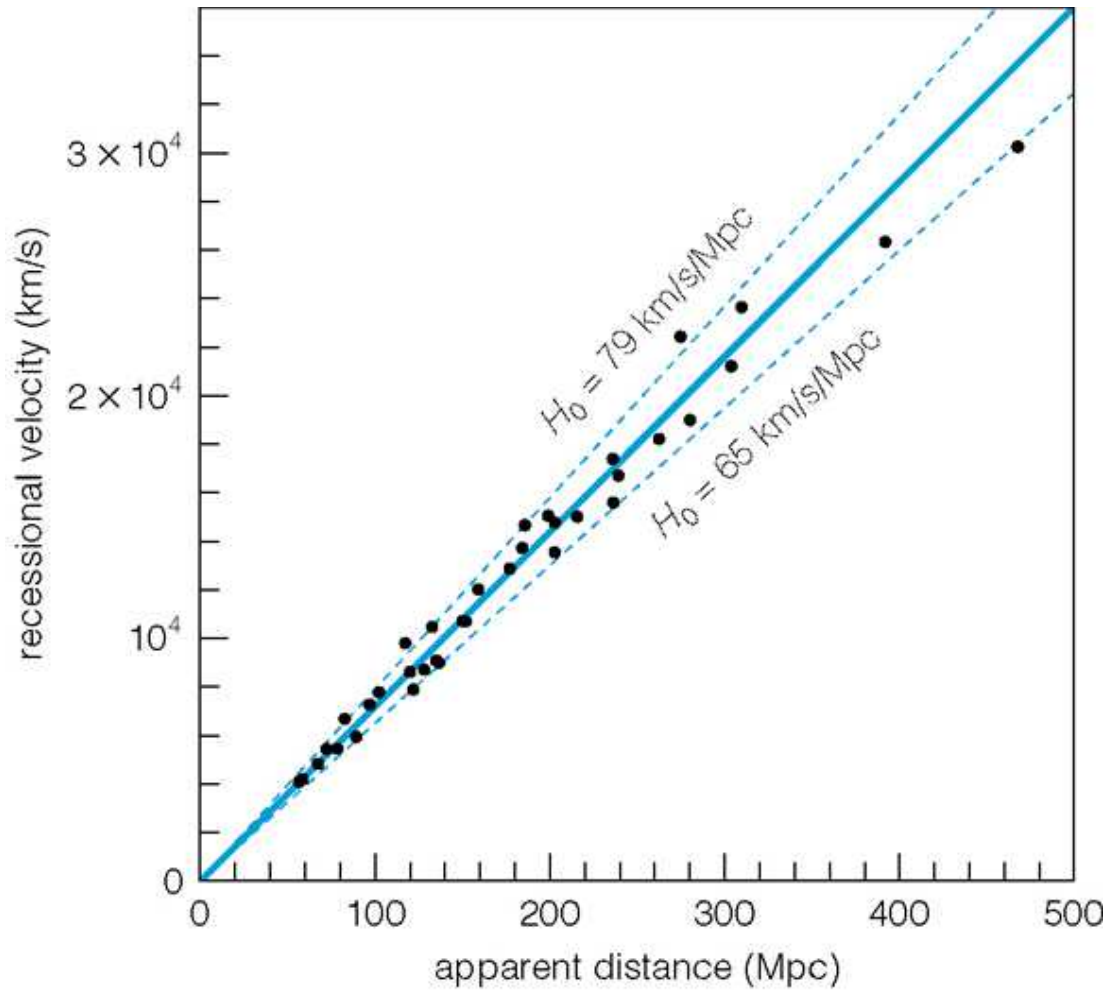
$$y = mx + b$$

$$\text{velocity} = (H_0) \times (\text{distance}) + 0$$



The Hubble

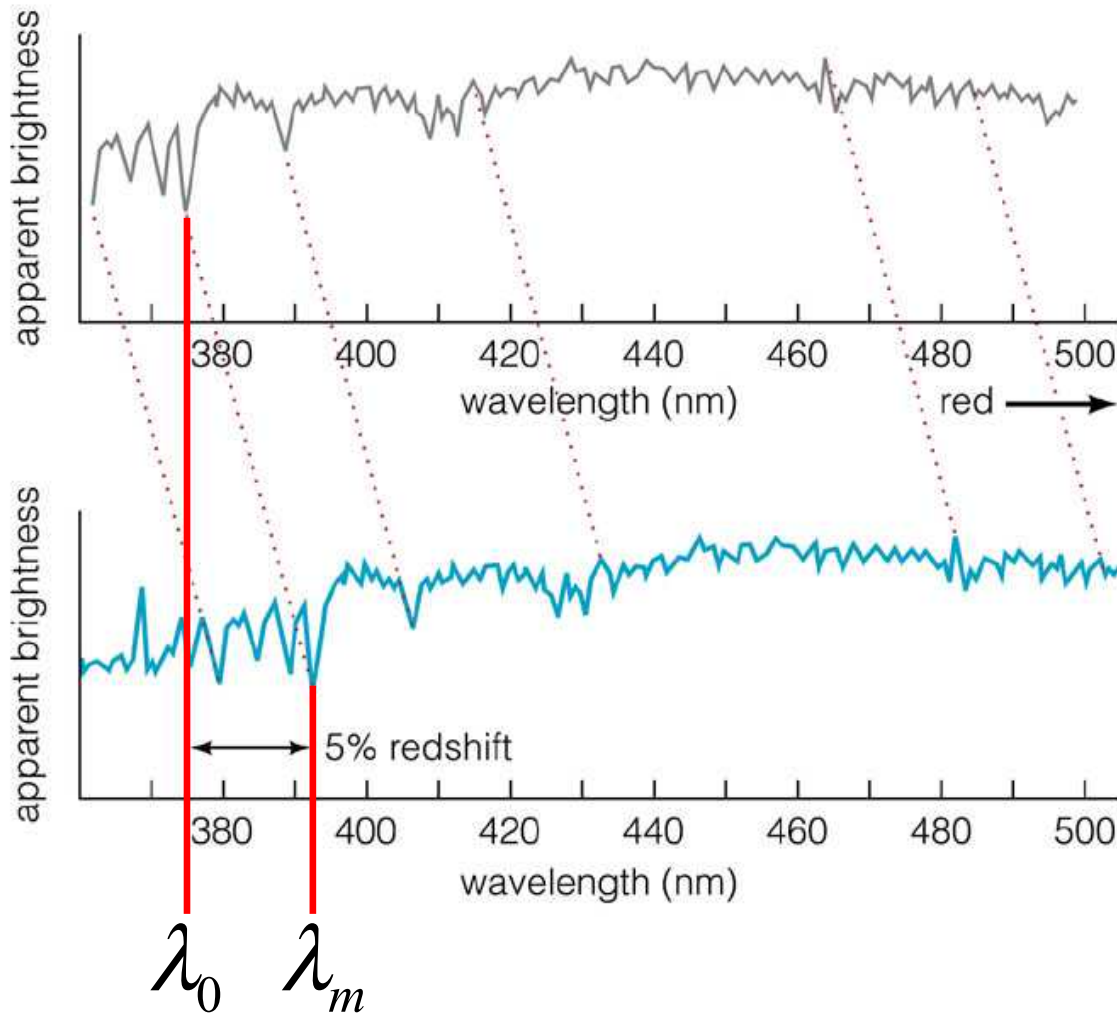
H_0 is the Hubble constant'



The Hubble

Law:

$$\text{velocity} = (H_0) \times (\text{distance})$$



Redshift of a galaxy tells us its distance through Hubble's Law:

$$\text{distance} = \frac{\text{velocity}}{H_0}$$

H_0

redshift (z) is defined:

$$z = \frac{\lambda_m - \lambda_0}{\lambda_0} \cong \frac{\text{velocity}}{c}$$

Homework #11

1. Hubble originally got 250 km/s Mpc for the Hubble constant. How old is the universe with that value of H_0 ?
3. If a galaxy has a redshift of 0.02, how fast is it traveling away from us?
4. How far away is the galaxy?

Homework #11

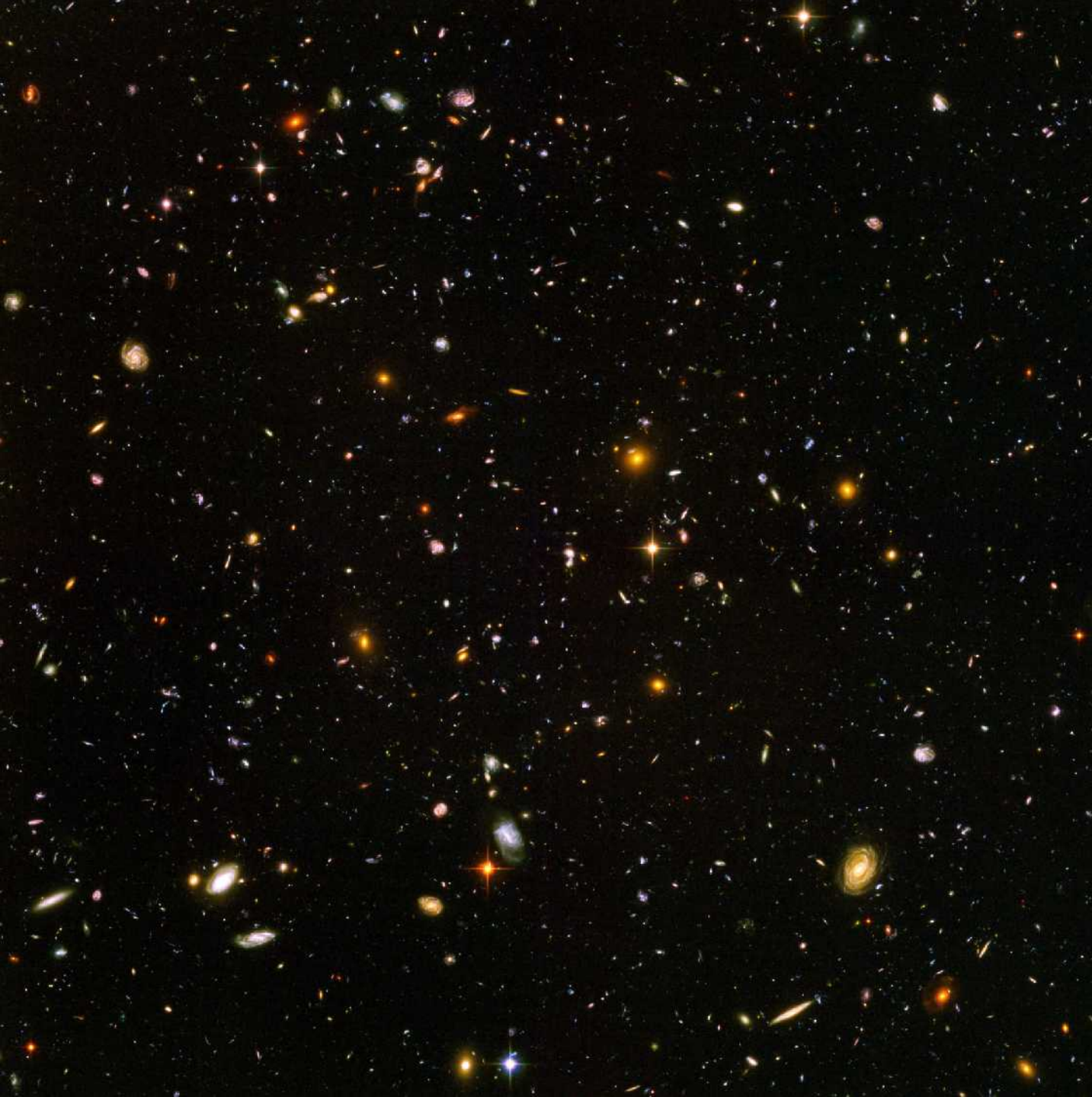
1. Hubble originally got ... for the Hubble constant. How is the universe with that value of H_0 ?

$$v_{esc} = \sqrt{\frac{2GM}{r}} = \sqrt{\frac{2(6.67 \cdot 10^{-11})(6 \cdot 10^{24})}{6.4 \cdot 10^6}} = 1.1 \cdot 10^4 \text{ m/s}$$

3. If a galaxy has a redshift of 0.02, how fast is it going?

4. ~~How far away is it?~~ $v_{esc} = \sqrt{\frac{2GM}{r}} = \sqrt{\frac{2(6.67 \cdot 10^{-11})(2 \cdot 10^{30})}{6.96 \cdot 10^8}} = 6.2 \cdot 10^5 \text{ m/s}$

$$c^2 = \frac{2GM_e}{r} \quad r = \frac{2GM_e}{c^2} = \frac{2(6.67 \cdot 10^{-11})(2 \cdot 10^{30})}{(3 \cdot 10^8)^2} = 2.96 \cdot 10^3 \text{ m}$$



Distances of
farthest
galaxies are
measured
from
redshifts

Cosmology questions

*How do distance measurements
tell us the age of the universe?*

Thought Question

Your friend leaves your house. She later calls you on her cell phone, saying that she's been driving at 60 miles an hour directly away from you the whole time and is now 60 miles away. How long has she been gone?

- A. 1 minute
- B. 30 minutes
- C. 60 minutes
- D. 120 minutes

Thought Question

Your friend leaves your house. She later calls you on her cell phone, saying that she's been driving at 60 miles an hour directly away from you the whole time and is now 60 miles away. How long has she been gone?

A. 1 minute

B. 30 minutes

C. 60 minutes

D. 120 minutes

$$\text{time} = \frac{\text{distance}}{\text{speed}} = \frac{60 \text{ miles}}{60 \text{ miles/hour}} = 1 \text{ hour}$$

Thought Question

Your observe a galaxy moving away from you at 0.1 light-years per year, and it is now 1.4 billion light-years away from you. How long has it taken to get there?

- A. 1 million years
- B. 14 million years
- C. 10 billion years
- D. 14 billion years

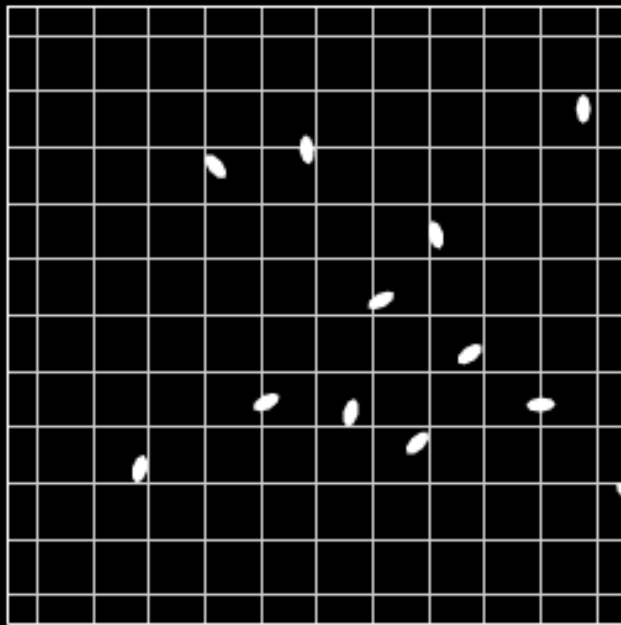
Thought Question

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- A. 1 million years
- B. 14 million years
- C. 10 billion years
- D. 14 billion years**

$$\text{time} = \frac{1.4 \text{ billion ly}}{0.1 \text{ ly/year}} = 14 \text{ billion years}$$

Estimating the Age of the Universe

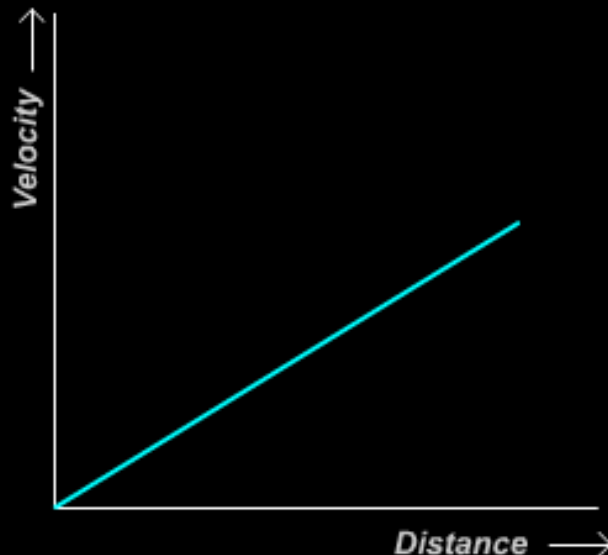


Going back in time...
note that the area of the
region shown remains
the same

Years back in time

1.74 Gyr

Running



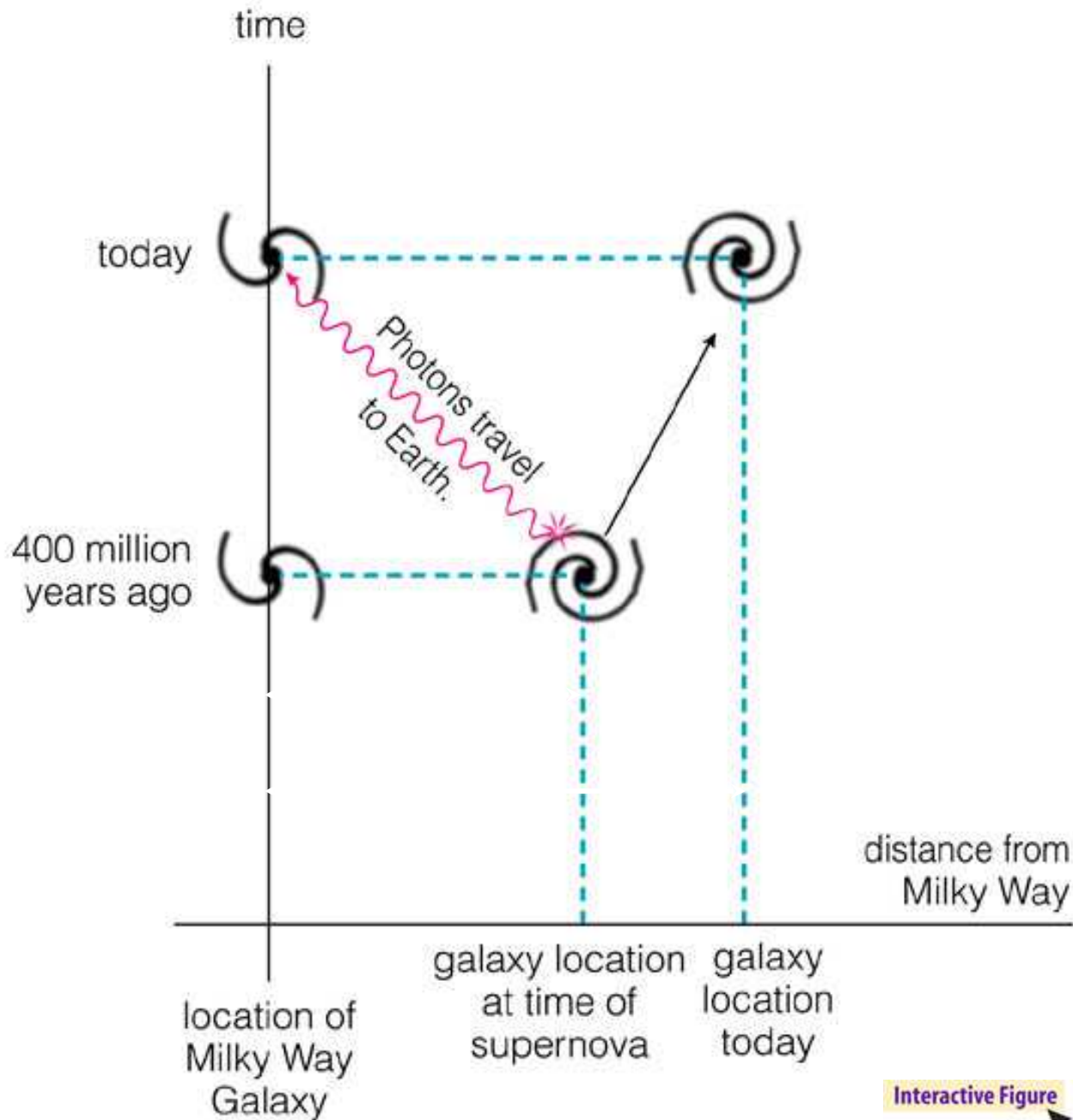
Today's value of
Hubble's constant (H_0)

65.0 km/s/Mpc

Hubble's constant tells us age of universe because it relates velocities and distances of all galaxies

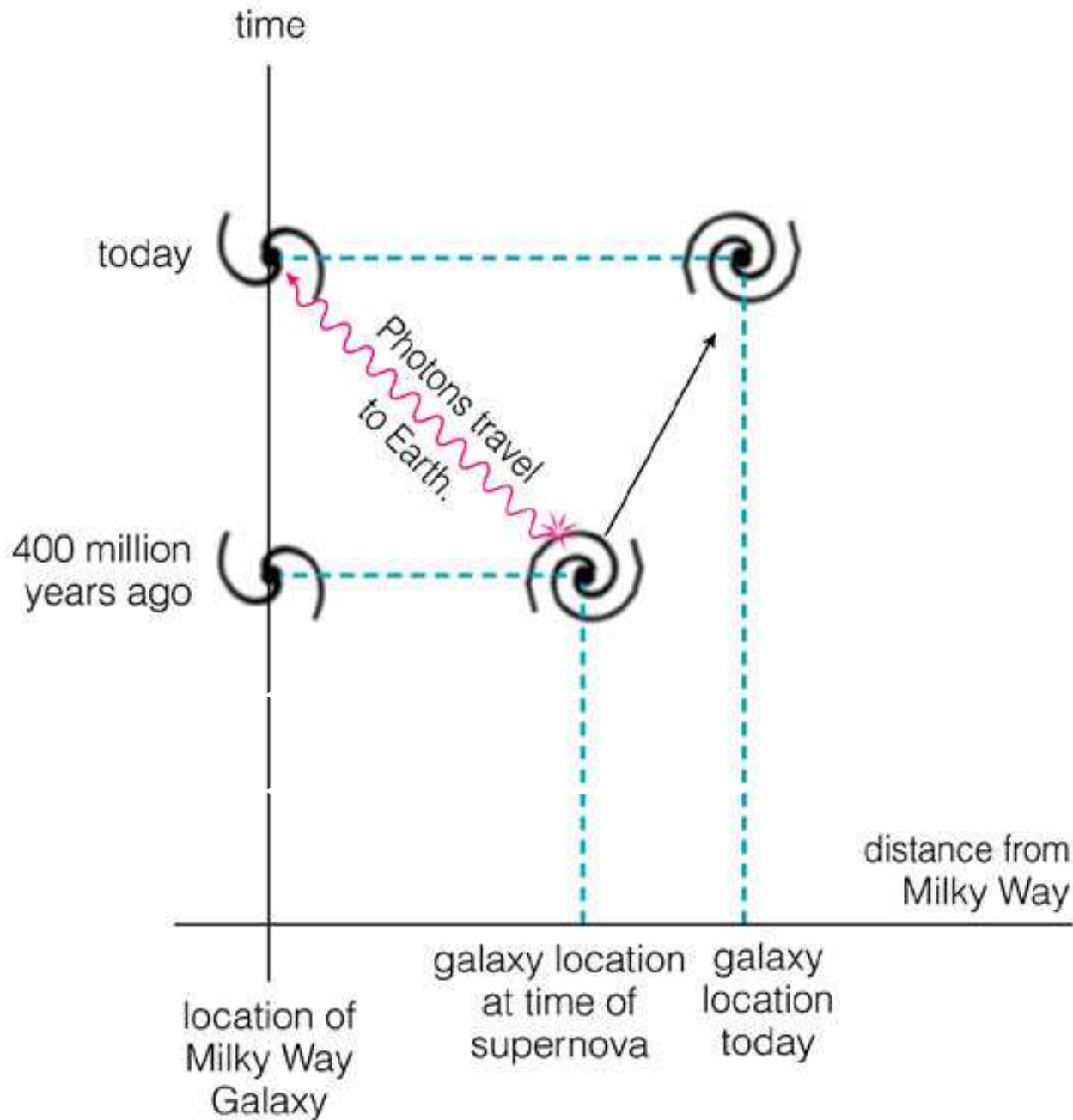
$$\text{Age} = \frac{\text{Distance}}{\text{Velocity}}$$

$$\sim 1 / H_0$$



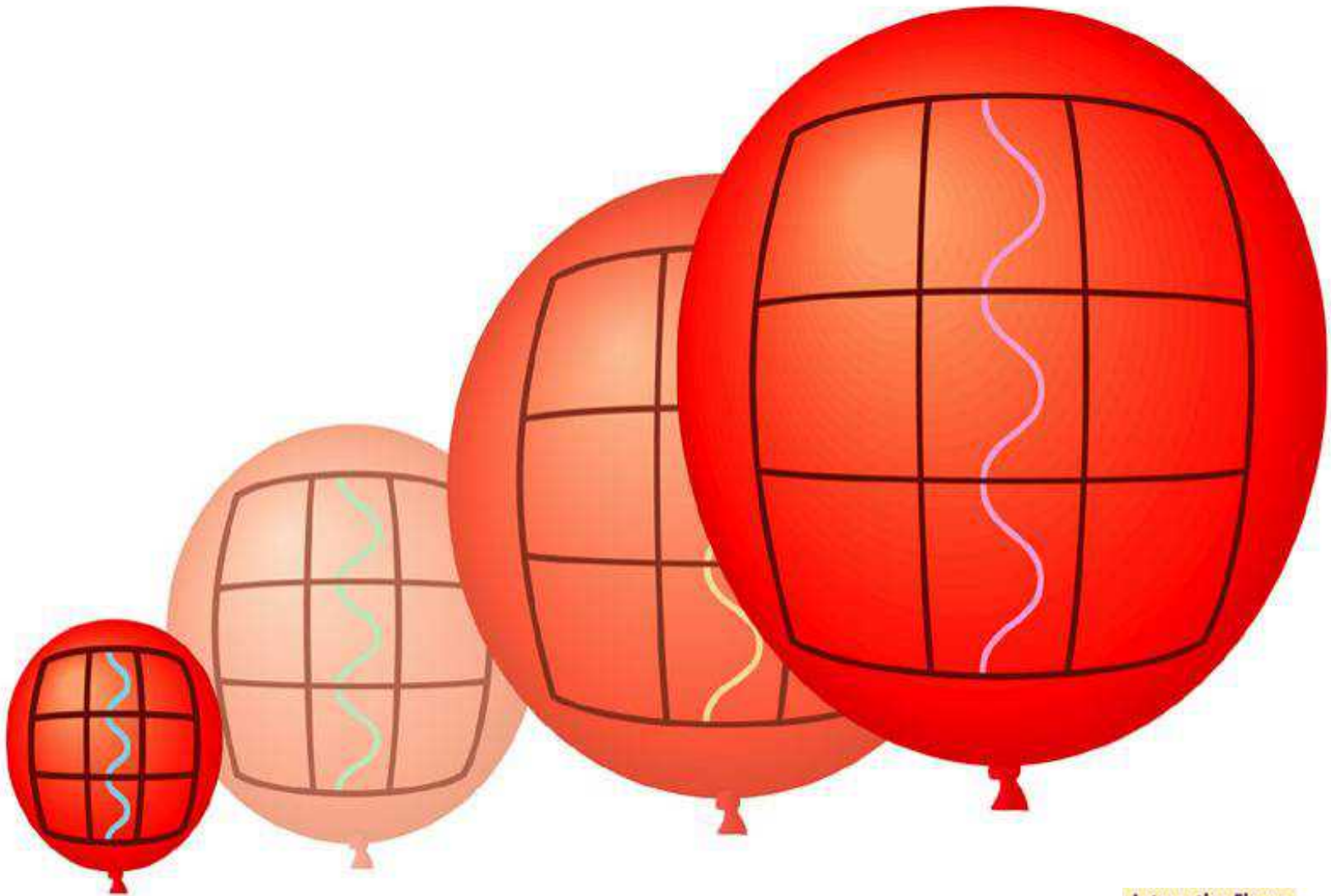
Distances
between
faraway
galaxies
change while
light travels

Interactive Figure



Distances between faraway galaxies change while light travels

Astronomers think in terms of *lookback time* rather than distance



Interactive Figure 

Expansion stretches photon wavelengths causing a *cosmological redshift* directly related to lookback time



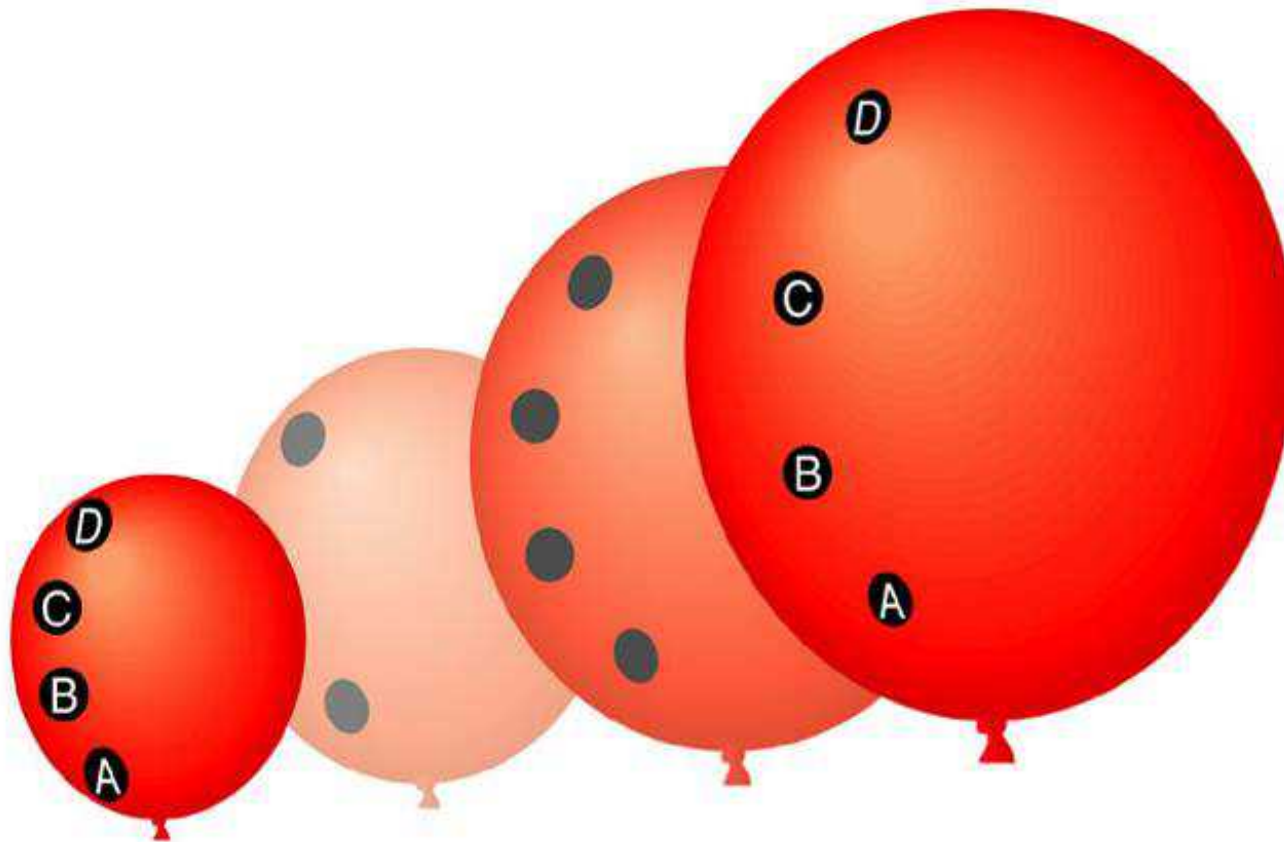
Cosmological Horizon

Maximum
lookback time of
14 billion years
limits how far
we can see

Cosmological Principle

The universe looks about the same no matter where you are within it

- Matter is evenly distributed on very large scales in the universe
- No center & no edges




Interactive Figure



Surface of a balloon expands but has no center or edge

Cosmological Principle

The universe looks about the same no matter where you are within it

-  Matter is evenly distributed on very large scales in the universe
- No center & no edges
- Not proven but consistent with all observations to date

Cosmology questions

Has the Universe changed?